



$f(x, y)$

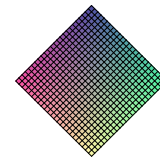
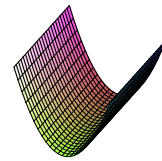
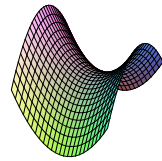
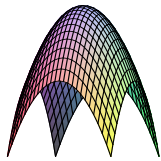
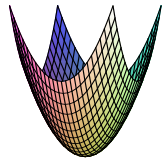
$x^2 + y^2$

$-x^2 - y^2$

$x^2 - y^2$

x^2

0



konvex

konkav

noch konkav

(nicht strikt)

auch konkav

$H = f''(x, y)$

$$\begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix}$$

$$\begin{pmatrix} -2 & 0 \\ 0 & -2 \end{pmatrix}$$

$$\begin{pmatrix} 2 & 0 \\ 0 & -2 \end{pmatrix}$$

$$\begin{pmatrix} 2 & 0 \\ 0 & 0 \end{pmatrix}$$

$$\begin{pmatrix} 0 & 0 \\ 0 & 0 \end{pmatrix}$$

Eigenwerte

2; 2

-2; -2

2; -2

2; 0

0; 0

Definitheit



indefinit

positiv

positiv und negativ



$H \succ 0$

$H \prec 0$

$H \succcurlyeq 0$

$H \succeq 0$

$H \succeq 0 \wedge H \preceq 0$

$|H_1|$ $|H_2|$

$$\begin{pmatrix} H_1 & \vdots \\ \cdot & \cdot \end{pmatrix}$$

$$\left| \begin{pmatrix} \cdot & \cdot \\ \cdot & \cdot \end{pmatrix} \right|$$



4

+



4

+



-4

-

$\neq 0$

2 ;



0 ;



Hesse – Determinanten

informativ

informativ

